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NOTE:

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Making the transition from an energy intensive transport system: Evidence from a GC-QUAIDS

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Making the transition from an energy intensive transport system:

Evidence from a generalised cost based quadratic almost ideal demand system (GC-QUAIDS)



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The key contributions of the research are:

- Introduce the Generalised Cost based approach to modelling (Quadratic) Almost Ideal Demand System (GC-QUAIDS), which estimates demand system parameters and derives substitution elasticities using a randomised generalised cost function as opposed to a pure random cost function.
- Use along the weak generalised cost function to estimate demand system parameters and derive substitution elasticities for the observed transport system. This approach allows for the estimation of substitution elasticities for the observed transport system, which provides an alternative 'strong cost' which is largely previously not used in existing research on transport costs.
- Estimate the generalised cost based substitution elasticities and derive the 'factor' that the existing cost based and quadratic and least squares approaches to the QTS, as well as the relationship between energy intensive modes of transport in terms of energy intensity and energy intensity.

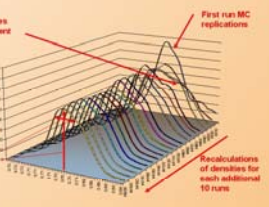
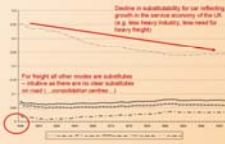
Data

The data used in the study are derived from the UK Department for Transport 'Transport Costs and Transport Statistics' (Cost Tables) and the Office for National Statistics 'Transport Statistics'. The data are annual data from 1990-2000 and represent all road transport costs and energy intensity of transport.

Analysis and Preliminary results

The results have significant implications for understanding the short/medium term potential to transition the UK transport system to one which has a lower energy intensity and subsequently a lower environmental impact. The analysis leads to the following preliminary conclusions:

- The demand elasticities for all modes are generally low, indicating that the transport system is not very responsive to changes in price. This is a result of the fact that the transport system is largely composed of modes that are not very responsive to changes in price. The results also show that the demand elasticities for all modes are low, indicating that the transport system is not very responsive to changes in price. This is a result of the fact that the transport system is largely composed of modes that are not very responsive to changes in price.
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The transition to a generalised cost

In the context of transport, the transition to a generalised cost function is a key step in the process of estimating demand system parameters. The generalised cost function is a function of the cost of transport and the energy intensity of transport. The generalised cost function is a function of the cost of transport and the energy intensity of transport. The generalised cost function is a function of the cost of transport and the energy intensity of transport.

$$C_i = \alpha_i + \beta_i \frac{C_i}{C_j} + \gamma_i \frac{E_i}{E_j}$$

It can be seen that the generalised cost function is a function of the cost of transport and the energy intensity of transport. The generalised cost function is a function of the cost of transport and the energy intensity of transport. The generalised cost function is a function of the cost of transport and the energy intensity of transport.

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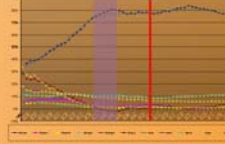
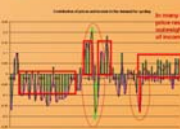
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Prices are non-linear in the demand for cycling

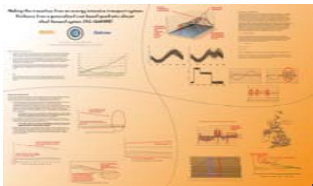


Scale economies for freight

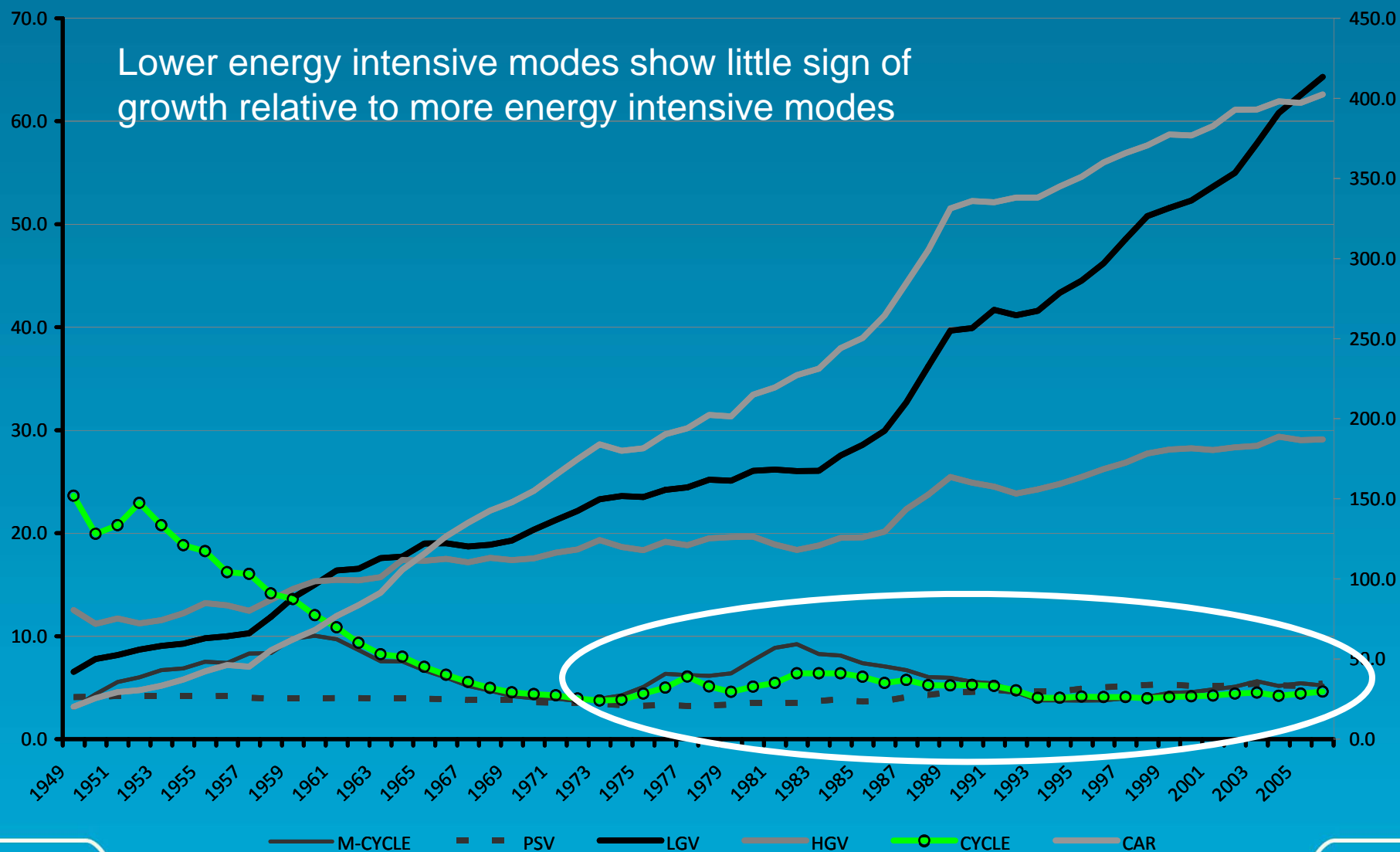


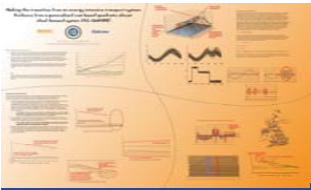
Scale economies for freight





Demand data





Basic structure of the QUAIDS model

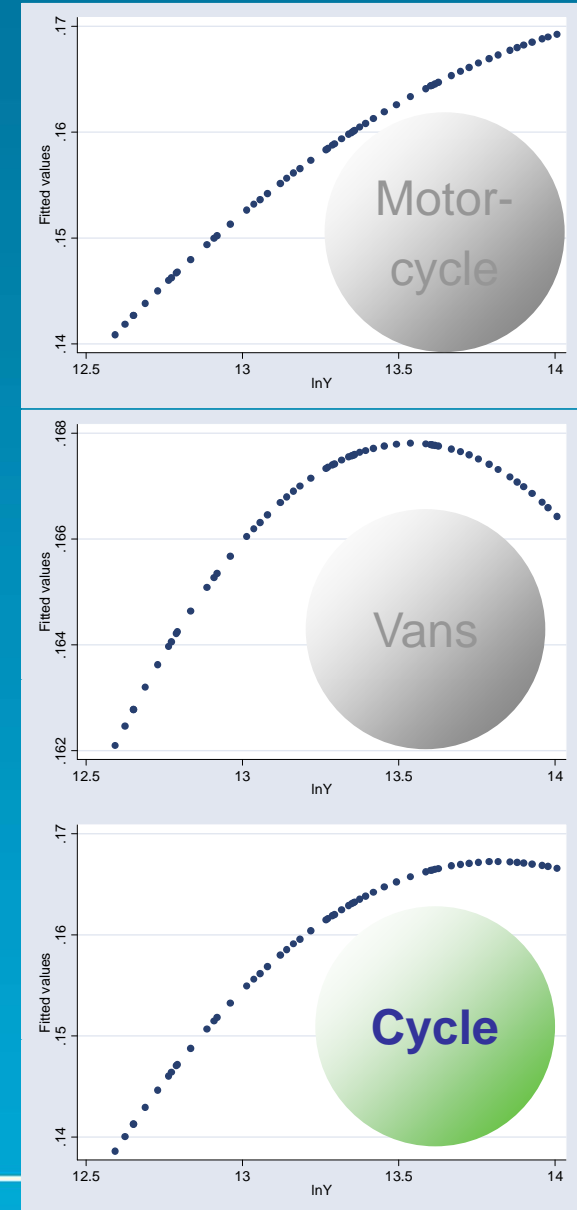
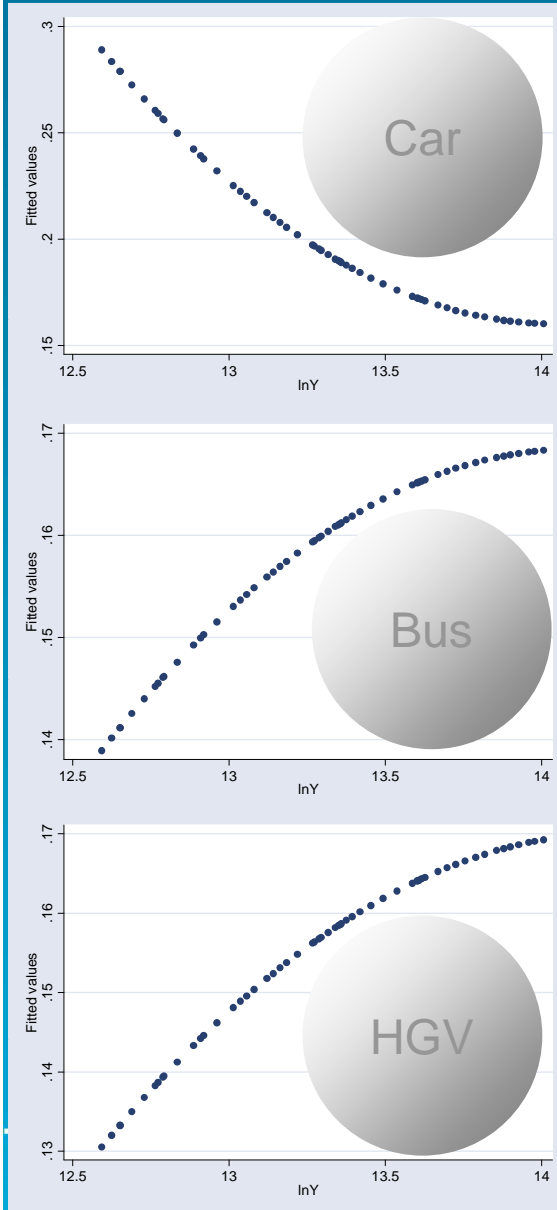
$$s_i = \alpha_i + \sum_{j=1}^n \gamma_{i,j} \ln(p_j) + \beta_i \ln \frac{M}{a(P)} + \frac{\lambda_i}{b(P)} \left[\ln \frac{M}{a(P)} \right]^2$$

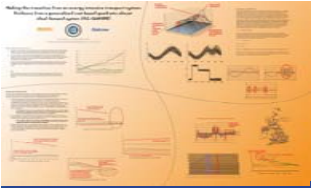
$$\sum_{i=1}^n \alpha_i = 1; \quad \sum_{i=1}^n \beta_i = 0; \quad \sum_{i=1}^n \gamma_{i,j} = 0; \quad \sum_{j=1}^n \gamma_{i,j} = 0; \quad \gamma_{i,j} = \gamma_{j,i} \quad \sum_{i=1}^n \lambda_i = 0$$

- As with Banks et al (1997) and Lewbel and Ng (2005), deterministic time trends are added
 - Moosa and Baxter (2002) apply stochastic trends, but at the expense of symmetry
- Mixed AIDS-QUAIDS is possible, and AIDS is a testable restriction

Non-linear Engel curves hence QUAIDS

- Estimate based on Lewbel, Blundell and Banks (1997) and Gahvari and Tsang (2009)
- Clearly give rise to non-linear income responses and use of QUAIDS model





The econometric approach

- Assuming a log-log empirical specification for the demand function and denoting time by subscript t it is possible to specify an estimable demand function as;

$$\ln z_t = \alpha \ln \frac{q_t}{P_t} + \beta \ln \frac{m_t}{P_t} + \varepsilon_t$$

- However the prices, q , are not observed and so given the above discussion of the theoretical model,
- Econometric methods have been developed to account for such situations and the structural time series model developed by Harvey (1989) is used in this particular example. The model is expressed as;

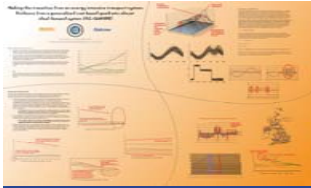
$$\ln z_t = \mu_t + \beta \ln \frac{m_t}{P_t} + \varepsilon_t$$

$$\mu_t = \mu_{t-1} + \delta_t + \eta_t$$

$$\delta_t = \delta_{t-1} + \xi_t$$

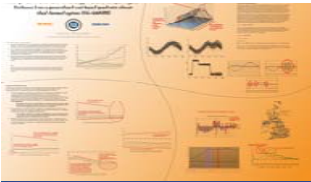
- Where;

$$\mu_t = \alpha \ln \frac{q_t}{P_t}$$

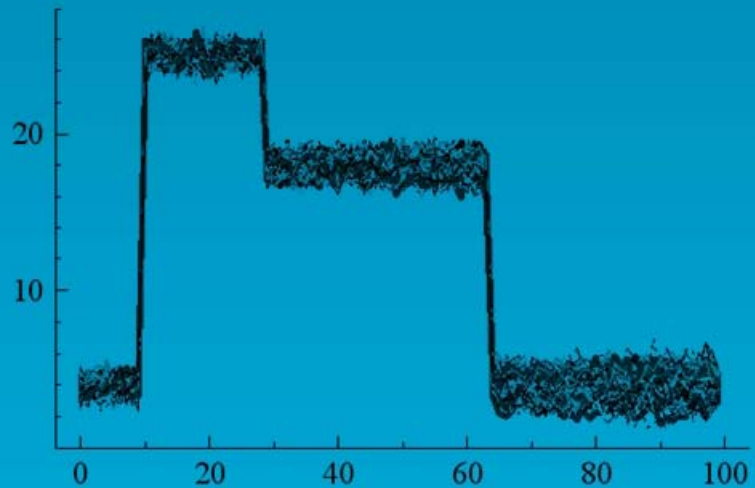
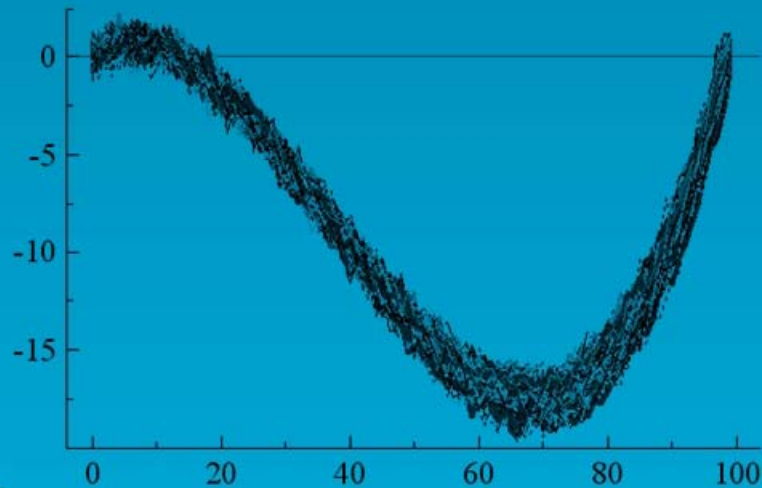
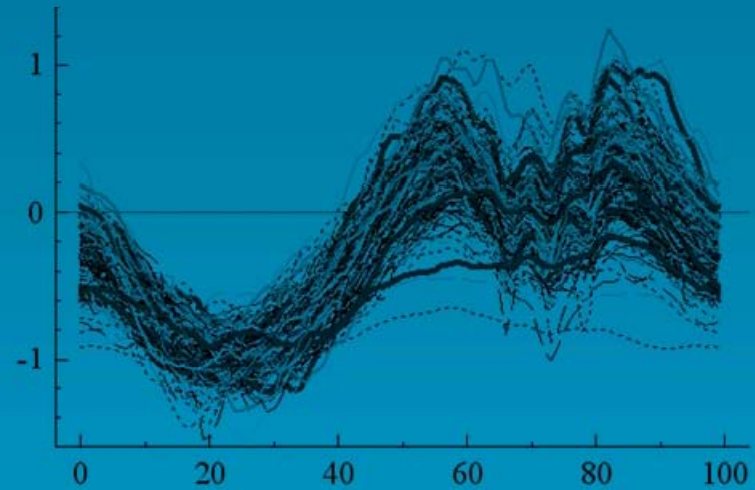
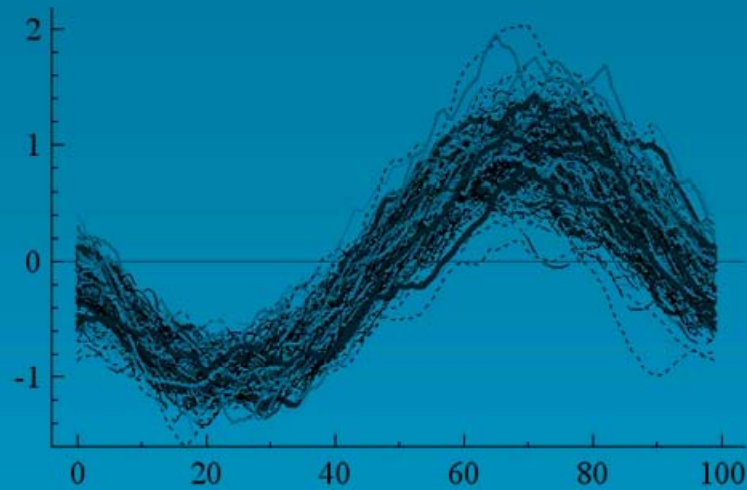


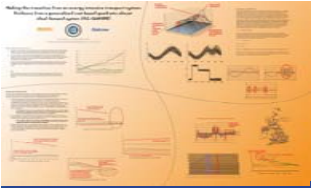
Some caveats

- This is not a study of the components of generalised cost
 - It is an overview of the combined effects of the components
- Therefore it is not attempting to place a specific value on the specific elements of the generalised cost function
- We do however acknowledge that generalised cost is constructed of a range of attributes, each of which are important in their own right but are not within the scope of the current piece of work

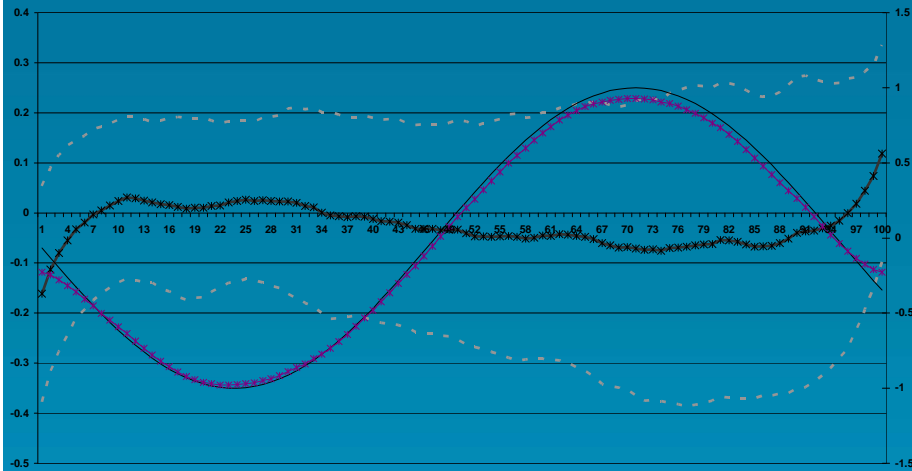


Observing the unobservable – does it work?

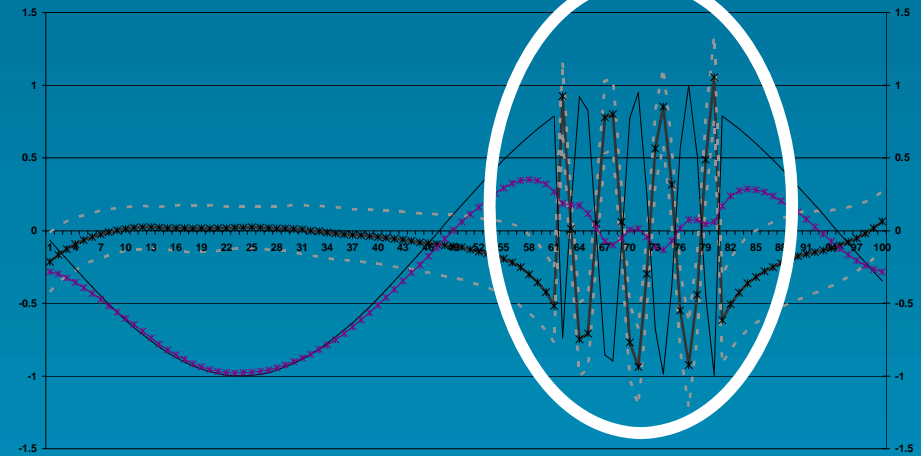




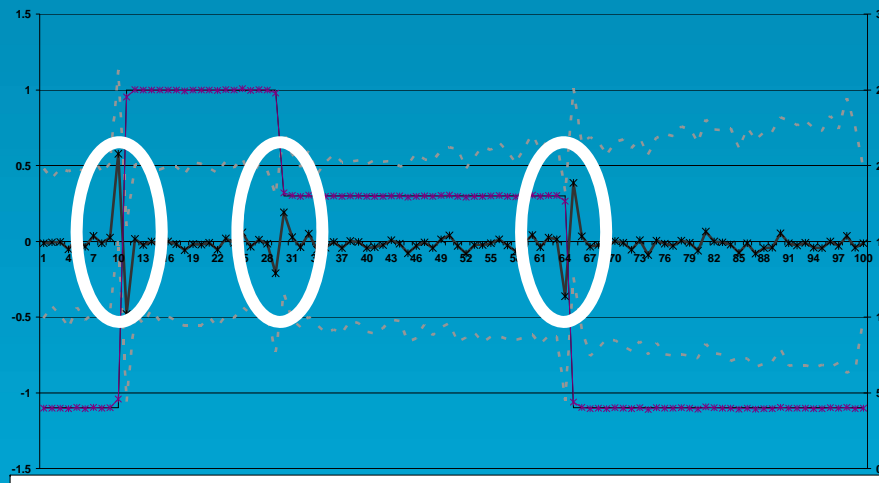
The results of the Monte Carlo analysis



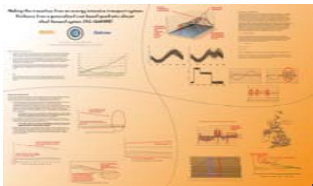
—x— Average difference - - - Average ± 1 Standard deviation — Actual unobserved —x— Average estimated unobserved



—x— Average difference - - - Average ± 1 Standard deviation — Actual unobserved —x— Average estimated unobserved



—x— Average difference - - - Average ± 1 Standard deviation — Actual unobserved —x— Average estimated unobserved

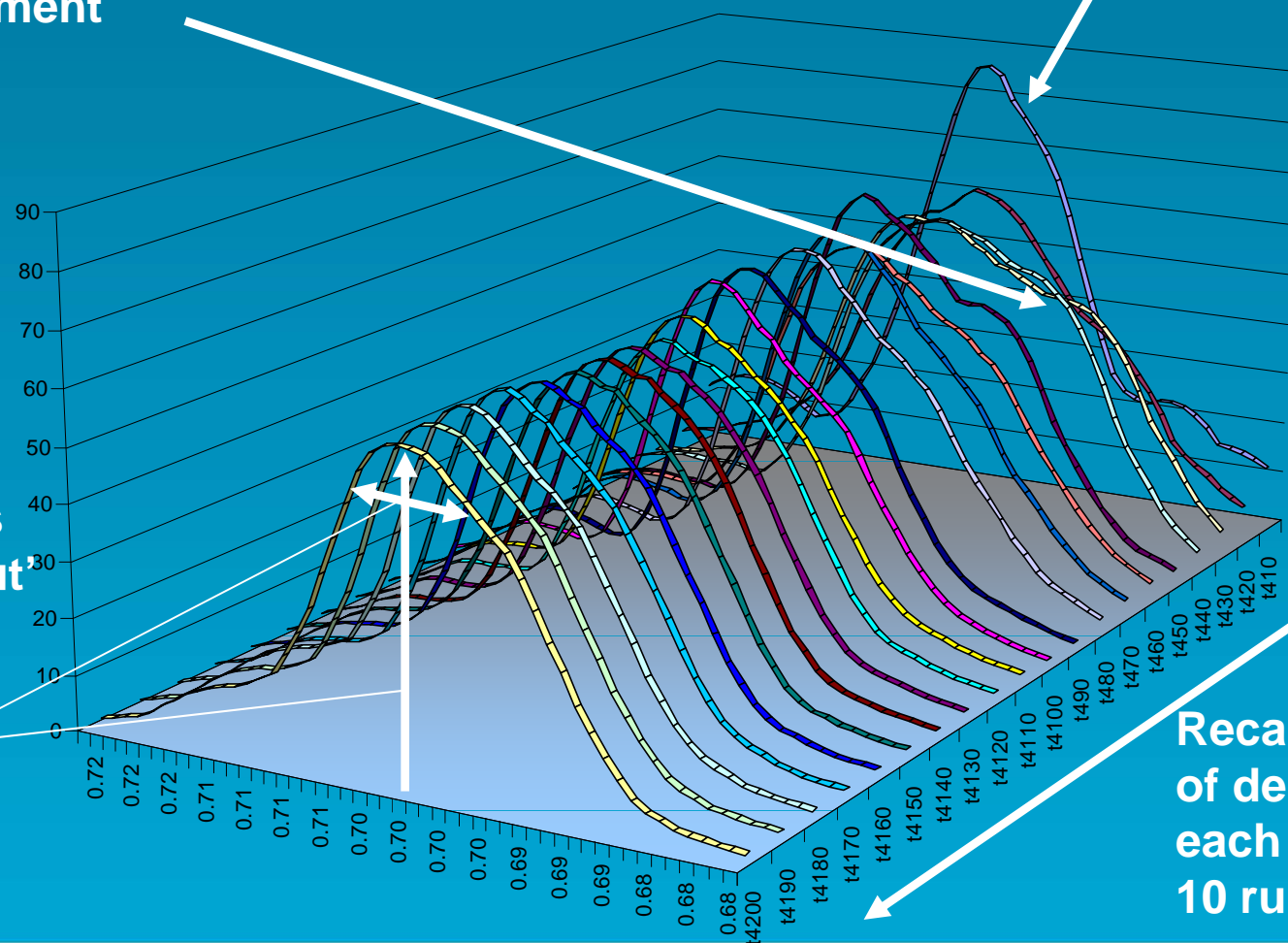


Kernel density estimates Trend IV

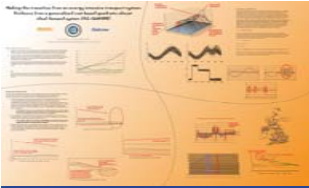
Start-up
irregularities
in experiment

First run MC
replications

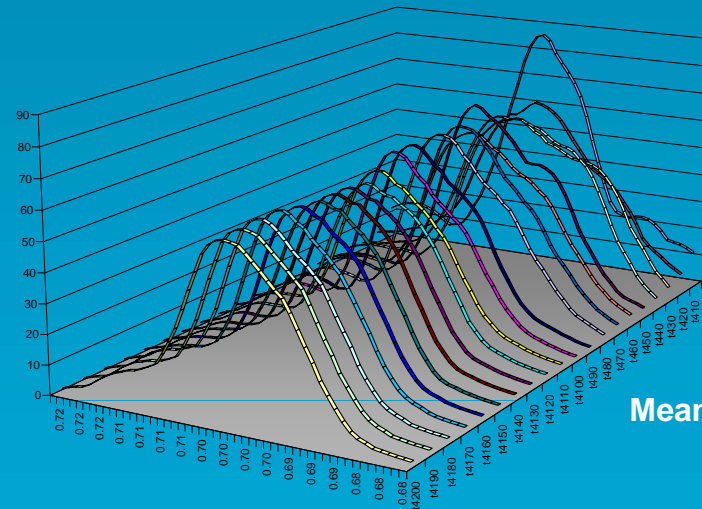
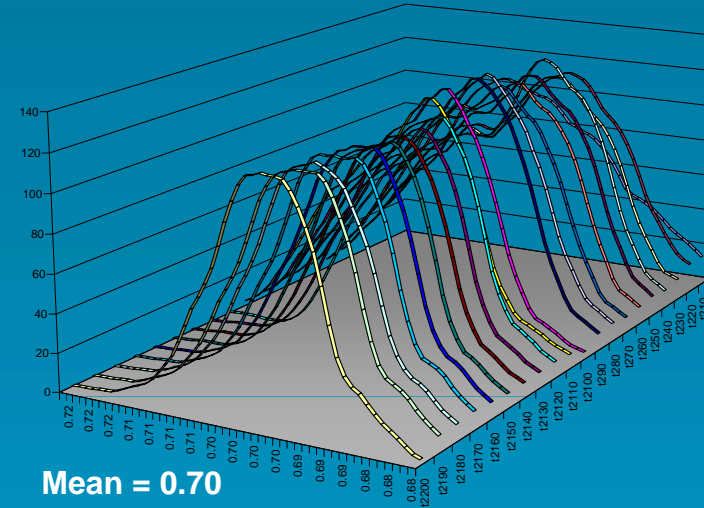
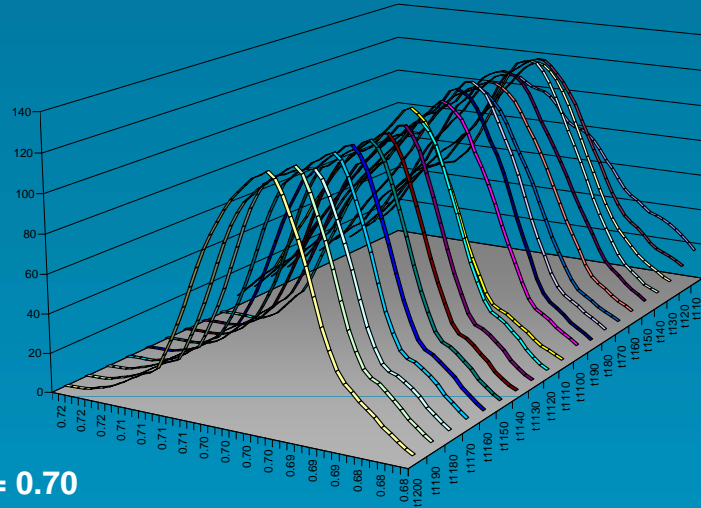
Irregularities
'averaged out'
and
coefficient
profile
becomes
robust



Recalculations
of densities for
each additional
10 runs

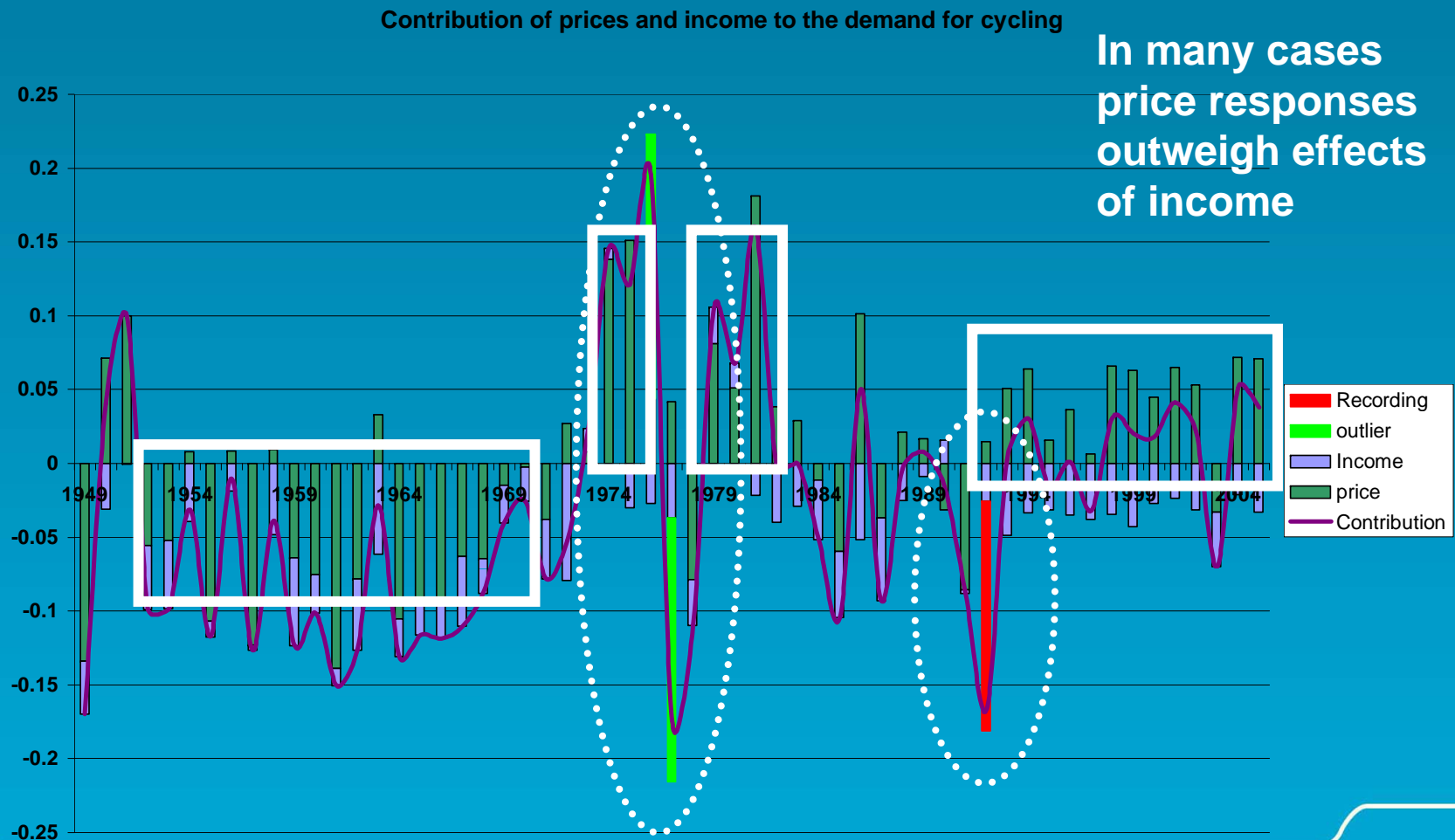


Distributions for all 4 trend types



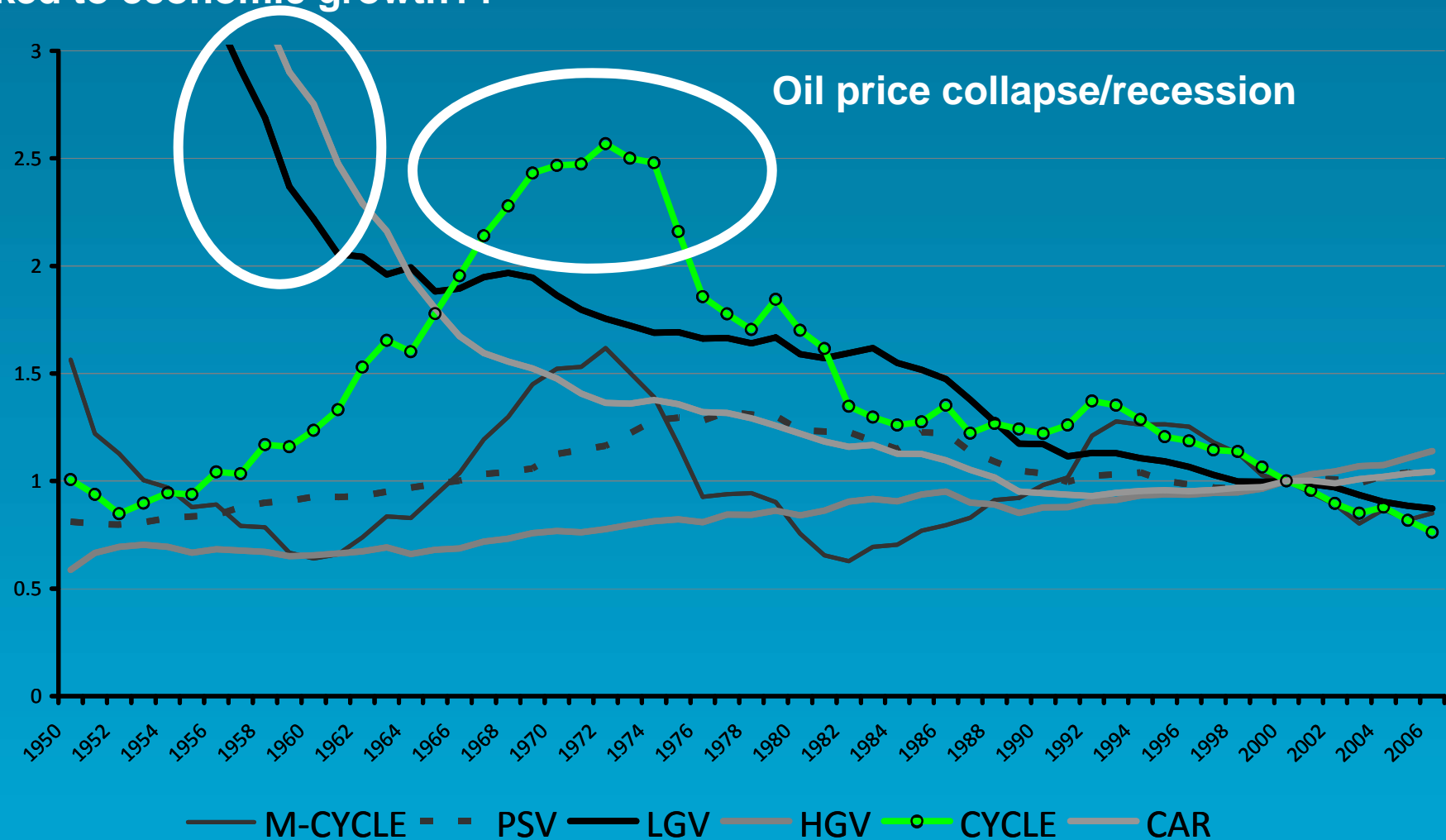
The contribution of the demand drivers

- Prices are non-trivial in the demand for cycling

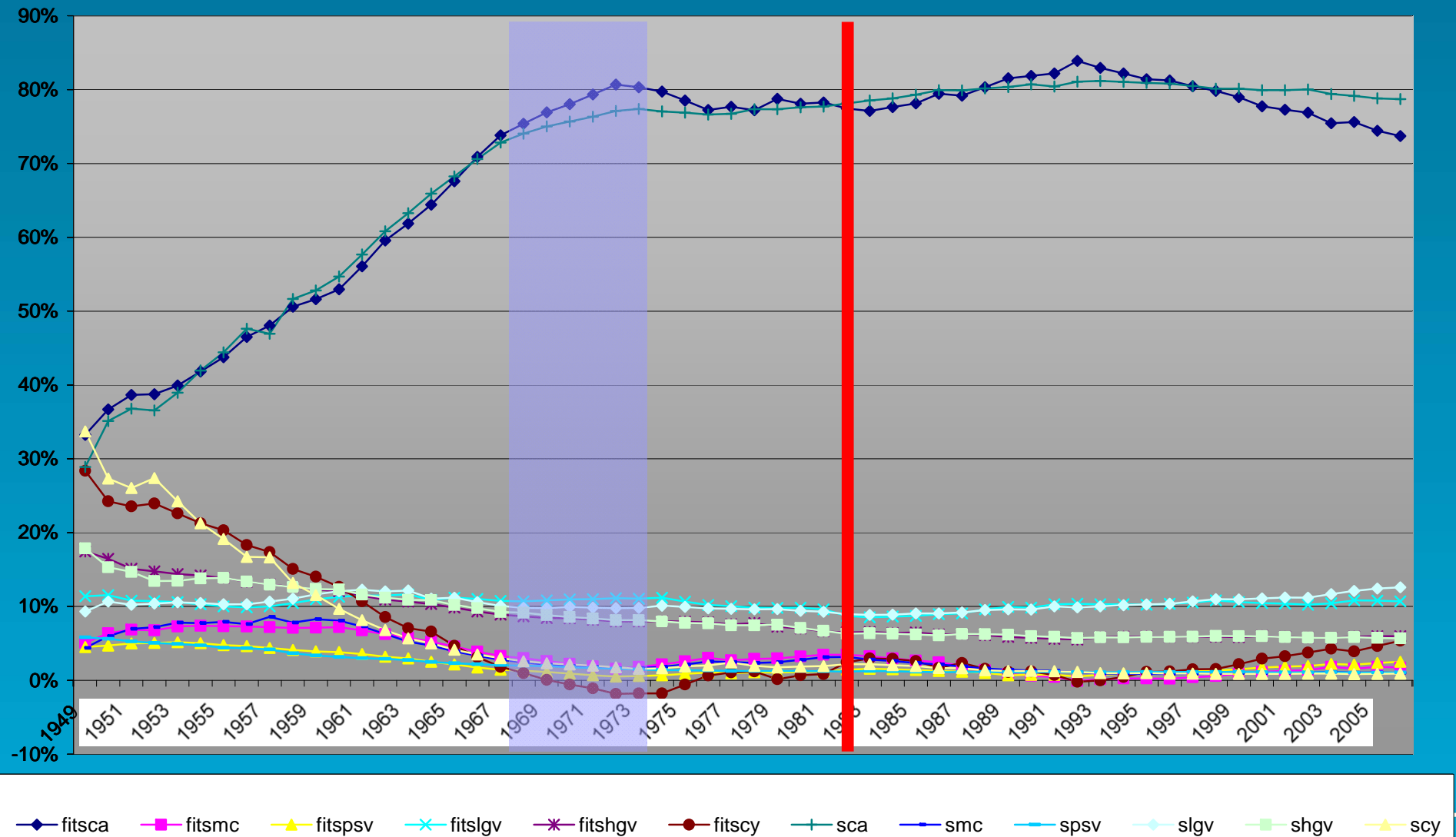


Estimated price series

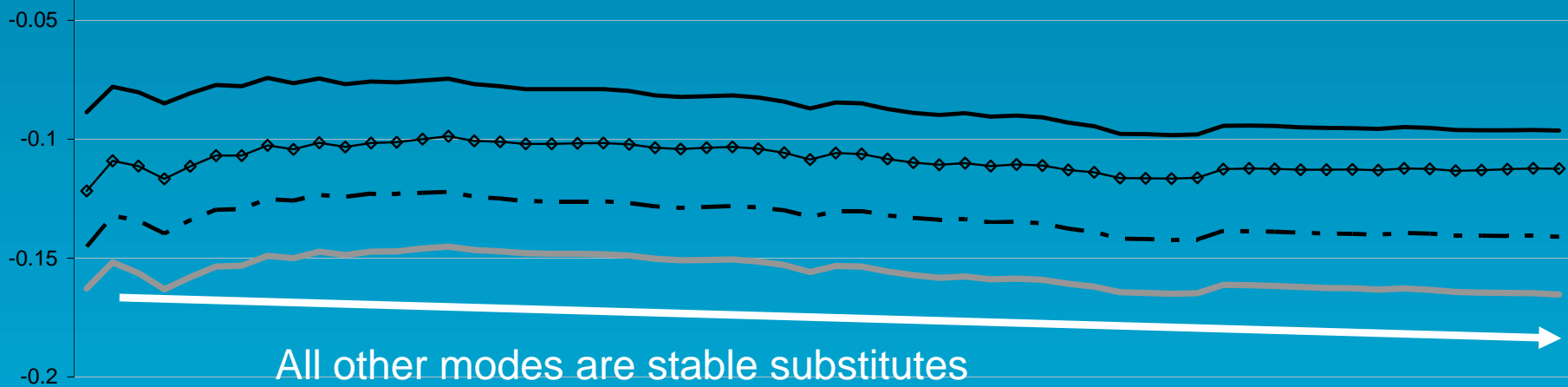
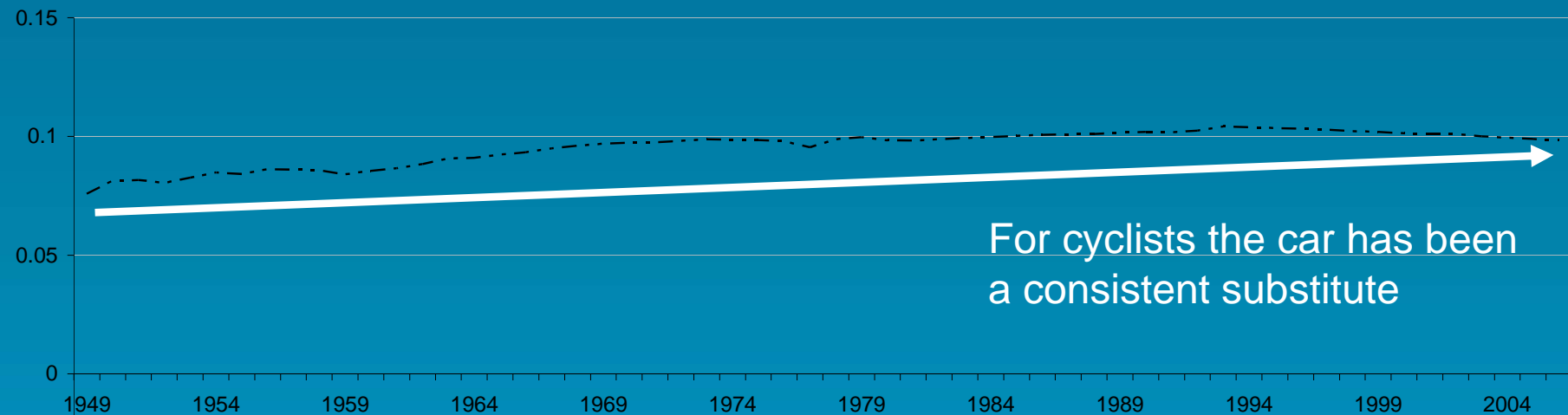
Scale economies for freight
linked to economic growth??



The fitted shares

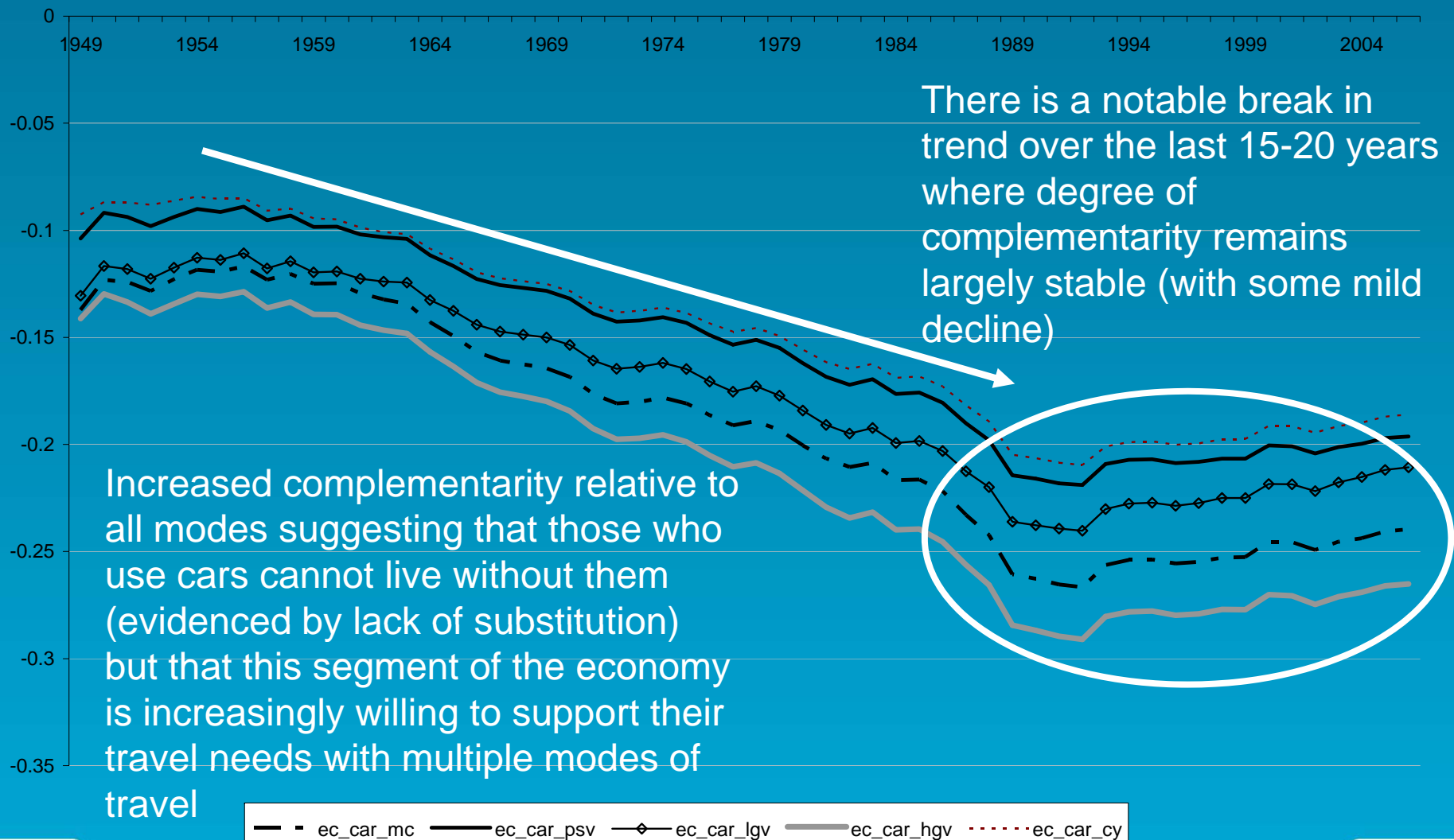


Cycle - CPE

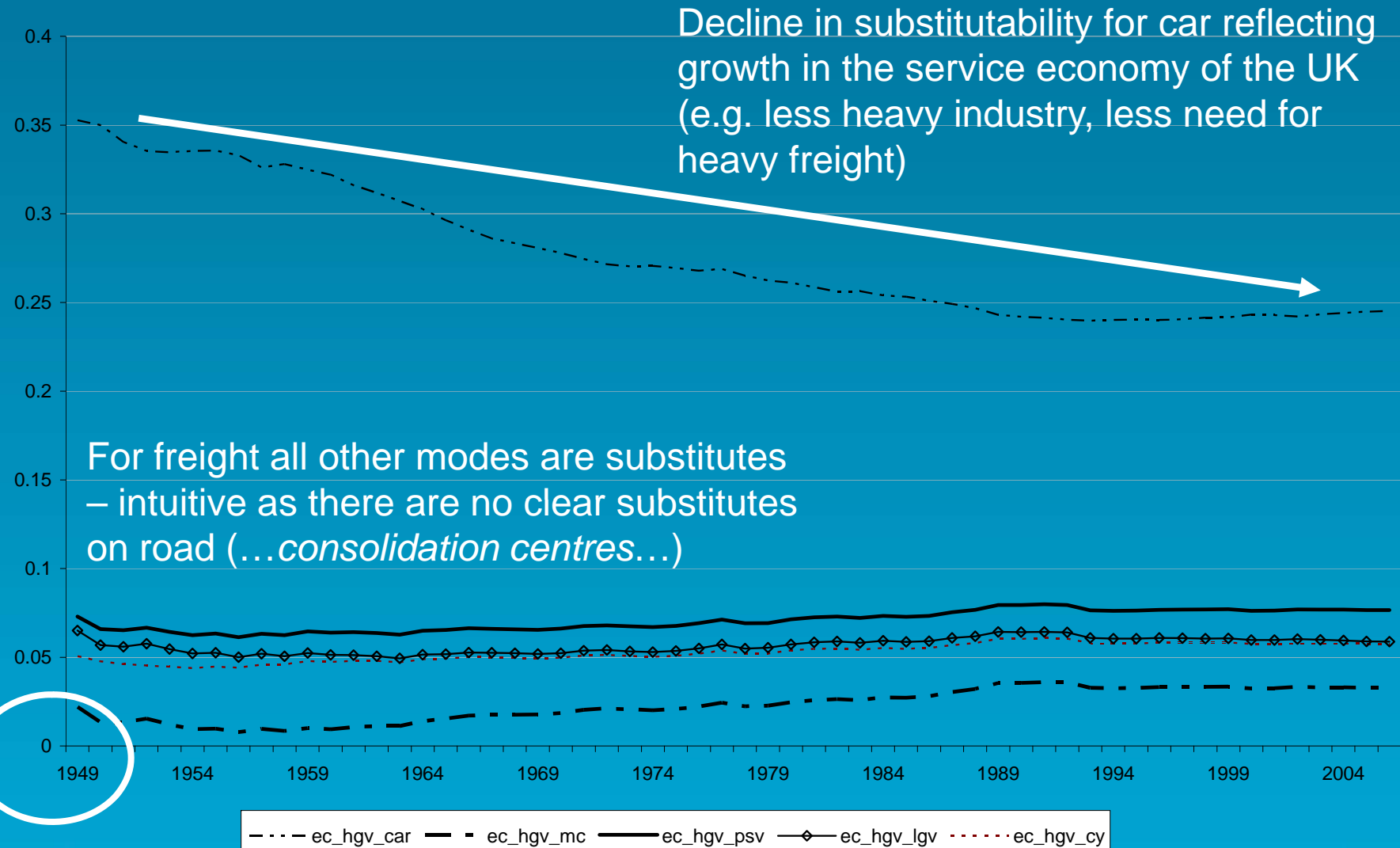


--- ec_cy_car - - - ec_cy_mc — ec_cy_psv —◇— ec_cy_lgv — ec_cy_hgv

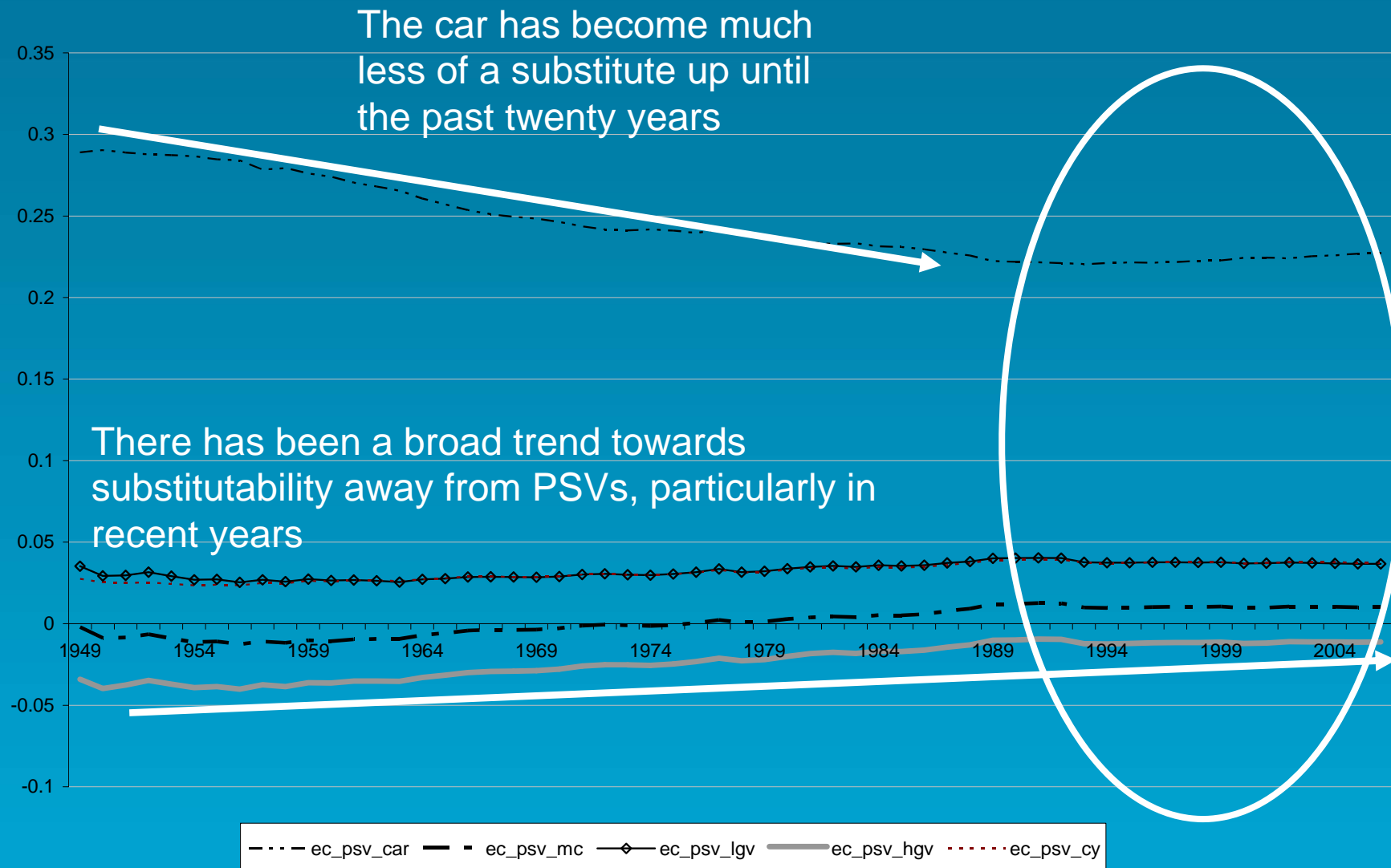
Car - CPE



HGV (freight) - CPE



PSV - CPE



- The results have important implications for understanding the short/medium term potential to transition the UK transport system to one which has a lower energy intensity and subsequently a lower environmental impact. The analysis lends itself to the following preliminary conclusions:
- Structural Time Series Models, also used in other areas of energy economics, appears to be very powerful at both accurately representing unobserved components and accurately reflecting elasticities on independent variables;
- The derived elasticities for all modes are plausible and broadly speaking what might be expected a-priori, albeit with some interesting dynamic features. In a couple of cases weak complementarity in the early part of the sample period has been replaced with weak substitutability in the latter part of sample period. The own price elasticities for all modes was of the order of 1, with the exception of cycling, in which the elasticity was roughly equal to 1.1. This implies that there exists latent demand within the UK's cycling community and that reductions in price are consistently met with disproportional rises in expenditure.
 - This suggest that there are opportunities for making transition, but the weakness in some of the relationships needs to be fostered through further policy intervention and regulation. The production of generalised price series in the first stage of empirical analysis also
- For car transport, it is seen that all modes of transport are compliment goods. That is to say, a reduction in the cost of any other mode of transport is not met by a replacement of car transport with that mode, rather the consumption of both increases.
 - This conflicts with the above finding and highlights the imbedded frictions that are faced in the UK in moving towards a low energy intensity use of transport to support the purchase of other goods and activities.
- Making the transition from an energy intensive transport system will be a complicated process due to the existing social and physical infrastructures imbedded in the UK and its society, as well as wider global norms. Traditional use of the transport infrastructure necessitates a certain amount of long distance journeys that see energy intensity essentially being traded off against time for other activities.